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FAKULTÄT FÜR INFORMATIK

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# Shape-Based Alias Analysis for Object-Oriented Languages

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**OVERVIEW** we statically approximate the heap to find aliases required for analyses and the generation of efficient code

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#define NULL ((List\*)0) class List { public: List(int pValue) next = NULL; value = pValue; List\* next; int value;

int main(int argc, char \*\*argv)

List \*a = new List(1);



# QUESTION

- to create efficient code, a compiler needs precise information about the source program

program analyses gather this information at compile-time

- using this information a program can be made faster, smaller, or less power-consuming

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pointers are very common in object-oriented languages, but they greatly reduce what can be found out by program analyse -> good pointer alias analyses are required

• shape analyses are the most precise pointer analyses available

List \*t = new List(2);  $a \rightarrow next = t;$ t->next = new List(3); t = NULL;

List \*p = a->next;

extend SRW and NNH to be inter-procedural

implement SRW Shape Analysis for C++

implement NNH Shape Analysis for C++

write conversion routines for Shape Graphs

interpret Shape Graphs to gather Aliases

implement automatic visualisation of Shape Graphs

implement source-code annotation for analysis results

improve alias computation by including "common tails"

port analyses from theoretical language to C++

// Stmt A *p->next->value* = 0;a->next->next->value = 42; // Stmt B

// Stmt C int x = p->next->value;

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\*\*) Flemming Nielson, Hanne Riis Nielson, and Chris Hankin.

Principles of Program Analysis, chapter Shape Analysis, pages 102–129. Springer, 1999.

return 0;

 $(a \rightarrow next) = (p)$  $(a \rightarrow next \rightarrow next) = (p \rightarrow next)$ (a->next->next) = (p->next->next)

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**ANALYSIS RESULTS** - are NULL-pointers possibly being dereferenced? -> compiler issues a warning - are p->next->next and a->next->next->next must-aliases? -> Stmt A is a definition without use and can be eliminated - are p->next->next and a->next->next->next no aliases? -> Stmt B is independent of Stmt A and C, and could be parallelized or

reordered, possibly helping with register-allocation, for example

relative quality of two shape analyses SRW\* & NNH\*\* is yet unknown

# WARK

OLGUNOZ SILICON VALLEY

- implemented parametrized versions of both shape analyses for C++
- derived 32 variations of shape-based alias analyses
- experimentally found sweet spots in runtime/precision tradeoff

- recommends two variations: for speed, for precision

# **COMPARISON**

 $\mathbf{X} \rightarrow$ 

SRW The shape analysis by Sagiv, Reps and Wilhelm\*) was the first shape analysis to achieve strong updates for languages with destructive updating. It uses finite static shape graphs to approximate the structure of the heap.

int main(int argc, char \*\*argv) {

List \*a = new List(1); List \*t = new List(2);  $a \rightarrow next = t;$ t->next = new List(3); t = NULL;

A context-insensitive analysis merges the information available at different call sites of a function. It analyses the body of each function only once for all calling contexts combined and returns the merged information to all call sites. With context-sensitivity the many invocations

## NNH

The shape analysis described by Nielson, Nielson, and Hankin in "Principles of Program Analysis"\*\*) is based on the SRW analysis but uses sets of compatible shape graphs instead of a single graph.

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This makes the analysis more precise but also computationally more expensive.



# **SUMMARY**

- The impact of five orthogonal analysis parameters has been studied: - shape analysis algorithm: SRW vs. NNH
- context-sensitivity: with vs. without

- retaining temporary variables for additional names vs. removing them - alias test: lazy vs. extensive
- alias test: compare final node vs. common tail of selectors
- -> comparison of 32 variations of shape-based alias analyses



SRW				NNH	
extensive	lazy			extensive	lazy
	Т		naive	T	Т
	Ŧ			<u>Ŧ</u>	<u>Ŧ</u>
	T		common	Т	T
	Ŧ		tails	포	Ŧ
extensive	lazy			extensive	lazy
			naive		
			common		
			tails		



### **COMPARISON A**

- Results of different shape analyses are hard to compare directly
- When one representation is converted to the other. graphs are often equal, though the precision of the analyses may not be equal

### Interpreting shape graphs

next

- naive (as described in RWS02\*\*\*)):
- expressions leading to the same named node are must-aliases
- expressions leading to the summary location are may-aliases

### our common tails test:

- when expressions leading to the summary

- **y** → {**y**} t -> {t} y r  $\mathbf{x} \rightarrow \{\mathbf{x}\}$ х - у -> {у} t  $y \rightarrow \{y\}$  $\mathbf{y} \rightarrow \{\mathbf{y}\}$  $\mathbf{x} \rightarrow \{\mathbf{x}\}$ **t** -> {t}  $\mathbf{X} \rightarrow \{\mathbf{x}\}$ 
  - \*every\* single shape graph - only if they are must-aliases in every member shape graph are they actually must-aliases
  - conversely, only if there is no alias in any member shape graph are the expressions not aliased

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- in all other cases: may-alias

- tests aliasing of expressions in

### Results

- ignoring context information produced the worst results \*and\* took the most time – always use context information!

- SRW shape analysis + extensive test cannot be more precise than the lazy test on SRW graphs – always perform the lazy test to save time!

- precise NNH + fast lazy alias test is bad: always slower than SRW but only in one case more precise

- without tempvar or common tail extension, SRW and NNH have comparable precision, but SRW is roughly 5x faster
- retaining temporary variables increased precision for both SRW and NNH (23% and 21% smaller alias sets) but also increased graph sizes and therefore anlysis runtime (3x) – expensive precision
- common tails test increased precision only in combination with NNH, but then at no measurable increased cost - cheap precision for expensive analysis

-> fastest: SRW + context + lazy - common tails - tempvars -> most precise: NNH + context + extensive + common tails (time x36, precision +28%)

\*) Mooly Sagiv, Thomas W. Reps, and Reinhard Wilhelm

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Solving shape-analysis problems in languages with destructive updating.

ACM Transactions on Programming Languages and Systems (TOPLAS), 20(1):1–50, January 1998.



don't convert indeterministic SRW static

shape graph into NNH set of compatible

for analysis results already in SRW form,

perform alias test directly on SRW static shape graph

\*\*\*) Thomas W. Reps, Mooly Sagiv, and Reinhard Wilhelm.

Code Generation, pages 175–218. CRC Press, 2002.

Shape analysis and applications. In The Compiler Design Handbook: Optimizations and Machine

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only one test instead of one per graph in the set

shape graphs, but

there is no loss of precision

- for NNH shape graph sets,

- location share a common tail of selectors that starts at a common named node, they too are must-aliases
- all other expressions leading to the unshared summary location are not aliased

### **COMPARISON B**

- Interpreting Shape Graphs to obtain alias sets makes different shape analyses comparable by the size of derived may-alias sets
- Smaller may-alias sets are the better results and indicate a more precise underlying shape analysis

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